

# REQUIREMENTS-DRIVEN AUTOMATIC CONFIGURATION OF NATURAL LANGUAGE APPLICATIONS

Dan Cristea, Corina Forăscu, Ionuț Pistol

*University "Al. I. Cuza" of Iași, Faculty of Computer Science*  
[dcristea@infoiasi.ro](mailto:dcristea@infoiasi.ro), [corinfor@infoiasi.ro](mailto:corinfor@infoiasi.ro), [ipistol@infoiasi.ro](mailto:ipistol@infoiasi.ro)

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Abstract: The paper proposes a model for dynamical building of architectures intended to process natural language. The representation that stays at the base of the model is a hierarchy of XML annotation schemas in which the parent-child links are defined by subsumption relations. We show how the hierarchy may be augmented with processing power by marking the edges with names of processors, each realising an elementary NL processing step, able to transform the annotation corresponding to the parent node onto that corresponding to the child node. The paper describes a navigation algorithm in the hierarchy, which computes paths linking a start node to a destination node, and which automatically configures architectures of serial and parallel combinations of processors.

## 1 INTRODUCTION

In this paper we propose a methodology that allows for the automatic configuration of architectures of serial and parallel combinations of natural language (NL) processors, each able to perform an elementary transformation to an input file. The input and output of the modules (between the processing steps) are XML annotated files.

GATE (Cunningham et al., 2002, 2003) is an extremely versatile environment for building and deploying NLP software and resources. It allows for the integration of a large amount of built-ins in new processing pipelines that can be put to work on single documents or corpora. In order to build a pipeline the user is instructed to select the modules (called resources in GATE) needed as parts of the processing chain, in the correct processing order and to instantiate their parameters. When all these are done, the configured chain of processes may be put to work on an input file, with the result of obtaining an output file, XML annotated. The model we propose comprises a combination of processing steps and filtering steps. The processing steps add information while filtering steps remove information.

Our approach is based on Cristea and Butnariu's (2004) hierarchy of annotation schemas. In this model, XML annotation schemas are nodes in a directed acyclic graph, and the hierarchical links are subsumption relations between schemas. The model

allows classification, simplification and merging operations to be performed on files observing the restrictions of the annotation schemas that are comprised in the hierarchy. We describe how the graph may be augmented with processing power by marking edges linking parent nodes to daughter nodes with names of processors, each realising an elementary NL processing step. On the augmented graph, three operations are defined: simplification, pipeline and merge. We present then a navigation algorithm in this hierarchy, which computes paths between a start node, corresponding to an input file, and a destination node corresponding to an output file. To these computed paths correspond sequences of operations, which are equivalent to architectures of serial and parallel combinations of processors. When an input file is given to a system that implements these principles, and the requirements of an output annotation are specified as the destination node, first the XML annotation schema of the input file is determined, then this schema is classified onto the hierarchy, becoming the start node, then the expression of operations corresponding to the minimum paths linking the start node to the destination node is computed (the architecture), and finally the input file is given to this architecture, resulting in the expected output file.

Section 2 of the paper reviews the hierarchical model of annotation schemas, while section 3 presents the hierarchy augmented with processing power. In section 4, the operations associated to the

augmented graph are defined. In section 5, the algorithm that computes the sequence of operations is presented, section 6 discusses some examples and section 7 discusses the feasibility of the approach in practical settings and briefly presents an implementation that operates on these principles.

## 2 THE GRAPH REPRESENTATION OF ANNOTATION SCHEMAS

In (Cristea and Butnariu, 2004), different layers of annotation over a corpus are represented as a hierarchy of annotation schemas. A node in the hierarchy is an annotation schema. It contains a list of XML tags, each characterised by a name, a list of attribute names, and possible restrictions denoting identity of some of its attributes values with values of attributes of other tags in the hierarchy. The parenthood relationship places the schemas described in this way in a hierarchy, which is a directed acyclic graph whose node names are unique symbols. If a node *A* is directly linked to a node *B*, then it is said that *A* **subsumes B in the hierarchy** (therefore *B* is a descendent of *A*). This happens if and only if:

- any tag-name of *A* is also in *B*;
- any attribute in the list of attributes of a tag-name in *A* is also in the list of attributes of the same tag-name of *B*;
- any restriction which holds in *A* also holds in *B*.

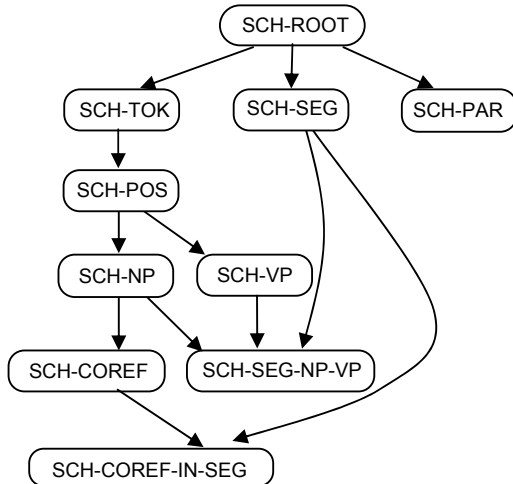


Figure 1: Example of a hierarchy of schemas (adapted after an example from (Cristea and Butnariu, 2004))

```

<?xml version="1.0" encoding="ISO-8859-1"
?>
<ROOT>
<SEG id="0">
<NP head-id="2" id="0">
<TOK id="2" pos="N"
lem="Winston">Winston</TOK>
</NP>
<TOK id="3" pos="V" lem="be">was</TOK>
<TOK id="4" pos="ING"
lem="dream">dreaming</TOK>
<TOK id="5" pos="PREP" lem="of">of</TOK>
<NP head-id="7" id="2">
<NP head-id="6" id="1" coref="0">
<TOK id="6" pos="PRON"
lem="he">his</TOK>
</NP>
<TOK id="7" pos="N"
lem="mother">mother</TOK>
</NP>
<TOK id="8" pos="PUNCT">.</TOK>
</SEG>
<SEG id="1">
<NP head-id="9" id="3" coref="0">
<TOK id="9" pos="PRON" lem="he">He</TOK>
</NP>
<TOK id="10" pos="V"
lem="must">must</TOK>
<TOK id="11" pos="PUNCT">,</TOK>
</SEG>
<SEG id="2">
<NP head-id="12" id="4" coref="0">
<TOK id="12" pos="PRON"
lem="he">he</TOK>
</NP>
<TOK id="13" pos="V"
lem="think">thought</TOK>
<TOK id="14" pos="PUNCT">,</TOK>
</SEG>
<SEG id="3">
<TOK id="15" pos="V"
lem="have">have</TOK>
<TOK id="16" pos="EN" lem="be">been</TOK>
<NP head-id="20" id="5">
<TOK id="17" pos="NUM"
lem="ten">ten</TOK>
<TOK id="18" pos="CC" lem="or">or</TOK>
<TOK id="19" pos="NUM"
lem="eleven">eleven</TOK>
<TOK id="20" pos="A"
lem="years_old">years_old</TOK>
</NP>
</SEG>
</ROOT>
  
```

Figure 2: Example of annotation

The subsumption relation indicates that each node in the hierarchy inherits all features (seen here as tags and their attributes) of all of its parents. So, if  $A$  subsumes  $B$ ,  $B$  is an annotation schema which is more informative than  $A$  and/or defines more constraints. In general, either  $B$  has at least one tag-name which is not in  $A$ , and/or there is at least one tag-name in  $B$  such that at least one attribute in its list of attributes is not in the list of attributes of the homonymous tag-name in  $A$ , and/or there is at least one constrain which holds in  $B$  but which doesn't hold in  $A$ . The subsumption relation is transitive, reflexive and asymmetrical.

Figure 1 shows an example of a hierarchy of schemas describing different layers of annotation useful for many NLP applications. SCH-ROOT represents the “empty” annotation (no tags). Immediately under this trivial schema, three schemas, SCH-TOK, SCH-SEG and SCH-PAR are placed. SCH-TOK identifies tokens and marks word lemmas, SCH-SEG marks borders between elementary discourse units, while SCH-PAR marks paragraphs. SCH-POS, placed under SCH-TOK, does not contribute with new tags but it complements the token tag with an attribute that indicates the part-of-speech. SCH-POS is a parent for both SCH-NP and SCH-VP schemas. These mark noun phrases (NPs) and, respectively, verb phrases (VPs). Then, SCH-COREF, placed under SCH-NP, marks anaphoric links between co-referential NPs. SCH-SEG-NP-VP is a schema marking simultaneously noun phrases, verb phrases and discourse units boundaries. It adds no new markings to those inherited from its three parents. Finally, SCH-COREF-IN-SEG is a schema in which the co-references and segment boundaries are marked.

An example of an XML file observing the restrictions of the SCH-COREF-IN-SEG node is shown in Figure 2.

### 3 MARKING THE EDGES OF THE GRAPH WITH PROCESSOR NAMES

The modern software engineering design uses interchangeable modules, which are interconnected in complex processing architectures. In NLP, this approach has proven advantages regarding the reusability, and language and application independence. In such a view, each module has inputs, outputs and accesses resources. In order for the modules to be truly interconnectable, each of the module's inputs and outputs must observe the constraints of certain annotation schemas. Usually the language and, sometimes, application dependence, of a module is given by the specific set of resources it accesses. For instance, a POS-tagger, runs the same algorithms on different sets of language models in order to tag documents for POS in different languages. For the system builder, the real functioning of a module can be obscured in a black box, since is it fully determined by the triplet: input, output and resources. This is equivalent with saying that given a triplet of schemas, characterizing the input, the resources and the output, there should exist a module which produces as output a file observing the restrictions of the output schema, whenever it receives as input a file observing the restrictions described by the input schema, and accesses resources observing the resources schema. This way, the hierarchy of annotation schemas becomes a graph of interconnecting modules.

More precisely, if a node  $A$  subsumes a node  $B$  (see Figure 3), there should be a process which takes as input a file observing the restrictions imposed by the node  $A$  and produces as output a file observing the restrictions imposed by the node  $B$ . While doing this type of processing, the module might make use

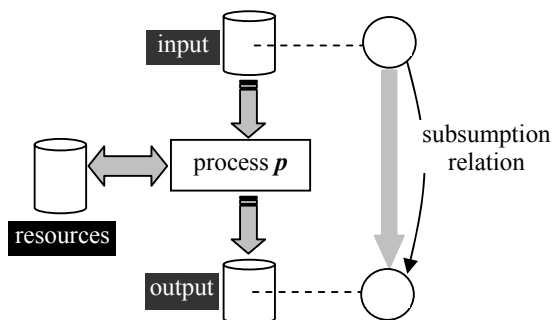


Figure 3: Equivalence between the subsumption relation and a processing step

also of some resources. However, in our graphical notations and the considerations to follow, only the

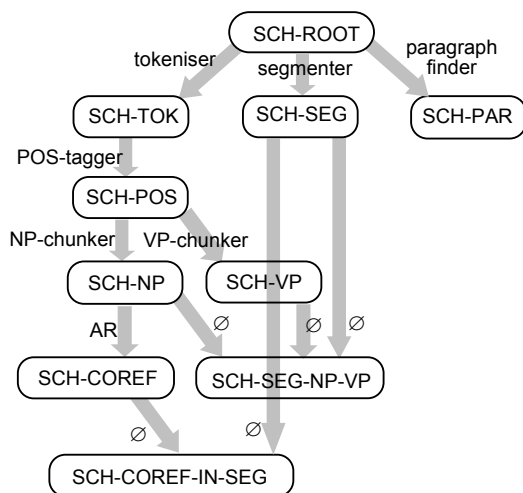


Figure 4: The hierarchy in Figure 1 augmented with processing power

input-output relations will be retained.

Let's note that the directionality of a process, as attached to an edge of the graph, is that of the subsumption relation. So, if node  $A$  subsumes node  $B$ , then the hierarchical link is from  $A$  to  $B$  (from the parent to the descendant). In our figures this will be marked by oriented edges (arrows). To mark the difference between edges denoting subsumption relations and edges denoting processing, we will mark with thin arrows the subsumption relations and with labelled thick arrows processing steps, where the labels indicate the names of the processes. We will call a graph of annotation schemas on which processing modules have been marked on edges as being **augmented with processing power** (or simply, **augmented**).

Sometimes the existence of a process attached to an edge in the graph depends on the existence of adequate resources. For instance, one may have access to an automatic tagger, but it will not be able to apply it for a language  $L$  because of the lack of a language model (a resource) adequate for that language. This way, in a repository of resources and instruments dedicated to NLP, the maximal graph of annotation schemas hosted can have different instantiations for different languages, depending on the existence (or absence) of adequate resources. Figure 4 represents the hierarchy of schemas from Figure 1, augmented with processing power. The names of processes are marked on some edges and the symbol  $\emptyset$  marks the empty process (no contribution of new tags/attributes).

## 4 OPERATIONS IN THE AUGMENTED GRAPH

If, in the hierarchical graph of schemas, navigation in the graph allows to classify files in the hierarchy, to simplify annotations and to merge annotations, as described in (Cristea and Butnariu, 2004), in the graph augmented with processing power, navigation allows the automatic identification of processing steps. Any process resulting from this computation is a combination of serial processing with merges. Unlike GATE, which allows only pipeline processing, in which the whole output of the preceding processor is given as input to the next processor, in our model a combination of branching pipelines may result.

Once the computation of steps is done using the hierarchy augmented with processing power, then the computed process can be applied on **an input file** and, eventually, it produces **an output file**. These files comply with the restrictions encoded by **a start node** and, respectively, **a destination node** of the hierarchy.

A processing task is defined by a pair of annotation schemas, start and destination. Transposed on the processing graph, provided the two schemas are represented as nodes in the graph and since the graph is connected, there should always be at least one path connecting these two nodes. The paths found are made up of oriented edges, and, as we will see, it is important if the orientation of the edges is the same as the one of the path or no.

We will describe later in this section three operations associated with the computed paths. Due to these operations, the otherwise static set of alternative paths linking a start node to a destination node determine a **set of alternative processing paths** or **flows**, which represent dynamically configured architectures. There are two ways to look at flows as processes: as applied to nodes of the graph and as applied to files. A flow transforms an input (node or file) by adding or deleting some mark-ups, seen as definitions in a node (schema) and as actual annotation in a file. The term "flow" comes easily if we imagine that the information actually "flows" through the edges of the graph, while also producing changes in the input files. Different examples of flows, linking start nodes with destination nodes, are sketched in Figure 5 in thin, interrupted arrows.

More precisely, a flow must be seen as summing-up sequences of processing steps. We will denote by  $f(x)$  the flow applied to the input node, or file,  $x$ . So,  $y=f(x)$  means either that the destination node  $y$  is obtained by applying the flow  $f$  to the start

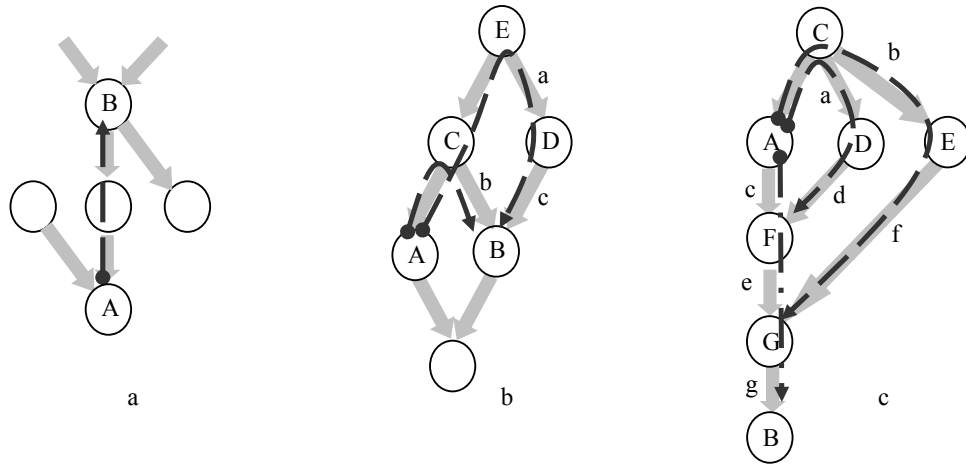


Figure 5: Examples of processing paths (in thin, interrupted arrows)

node  $x$ , or that the output file  $y$  results by the application of the flow  $f$  to the input file  $x$ . All three operations which will be defined below produce flows. Trivially, an empty flow leaves the input unmodified. We will notate the empty flow with  $f^\emptyset$ . So,  $f^\emptyset(x)=x$ , for any node or file  $x$ . The way in which we will define the computation of flows (in section 5) will make that if  $A$  and  $B$  are the start and destination nodes in a graph, then exactly one flow  $f$  should exist such that  $B=f(A)$ . Flows can be combined, such that it is possible to have  $B=f_i(f_j(A))$ . This notation inspires the generalisation of a flow as applying to flows instead of nodes or files. Indeed if a node  $B$  is placed along a path from  $A$  to  $C$ , we may say that the flow that transforms  $A$  onto  $B$  combines with the one that transforms  $B$  onto  $C$  to produce the flow that transforms  $A$  onto  $C$ . As such, we may see the input of the second flow as being the first flow, instead of the intermediary node.

In the following we will give the definitions of the promised three operations: simplification, pipelining and merging. We say that a **node  $B$  is simplified to  $A$** , and we write  $A=S^A(B)$ , if  $B$  and  $A$  are both placed on a path from the start to the destination node, in this order, and  $A$  subsumes  $B$ . When a file corresponding to the schema  $B$  is simplified to  $A$ , it will loose all annotations excepting those imposed by the schema  $A$ . In Figure 5a, we have  $B=S^B(A)$ , and on Figure 5b it holds that  $C=S^C(A)$  and  $E=S^E(A)$ . In accordance with our discussion on flows above, we may look at  $S^B$  as a flow, which allows us to apply it to a node, to a file or to another flow.

If, on a path from the start node to the destination node in the augmented graph, there is an edge linking a node  $A$  to a node  $B$  which is marked

with a process  $p$ , we say that  **$A$  pipelines to  $B$  by  $p$** , and we write  $B = A > p$ . Equally, when a file corresponding to the schema  $A$  is pipelined to  $B$  by  $p$ , it will be transformed by the process  $p$  onto a file that corresponds to the restrictions imposed by  $B$ . Finally, according to the discussion on flows, we may consider “pipelines by  $p$ ” an operation which is applied to a flow to produce a flow. Pipelining with an empty process  $\emptyset$  leaves the input unmodified, while pipelining the empty flow with a process yields the flow consisting of that process. In Figure 5b it holds that  $B=C > b$  and  $B=E > a > c$ .

The merge operation can be defined in nodes pointed by more than one edge on the hierarchical graph. If  $f_1, \dots, f_n$  are flows entering a node  $A$ , we say that **flows  $f_1, \dots, f_n$  merge into  $A$**  and we write  $A = f_1 | \dots | f_n$ . For instance, in Figure 5b we have  $B=C > b | E > a > c$ . Merging a flow  $f$  with the empty flow  $f^\emptyset$  leaves  $f$  unchanged.

With these definitions, for the graph of Figure 5b it holds that  $B=S^C(A) > b | S^E(A) > a > c$ , and for the graph of Figure 5c it holds that  $B=((A > c | S^C(A) > a > d) > e | S^C(A) > b > f) > g$ .

## 5 COMPUTATION OF FLOWS

We give below the Compute-Flow algorithm. The notations used are as follows: function  $CF(x, y)$  receives as input a pair of nodes start-destination and returns that flow which applied to  $x$  outputs  $y$ ;  $subsumes(x, y)$  is a predicate function applied to two nodes and evaluates to true if and only if  $x$  subsumes  $y$  on the graph;  $simplify(x, y)$  expresses that the node  $y$  is simplified in the sense given by the node  $x$  and

returns a flow; pipeline( $f, p$ ), with  $f$  a flow and  $p$  a process, expresses that the flow  $f$  is pipelined with the process  $p$  and returns a flow; merge( $f_1, f_2$ ) expresses the merging of flows  $f_1$  and  $f_2$  and returns a flow, and  $f^\emptyset$  is the empty flow.

```
function CF( $st, de$ )
  if  $st$  equals  $de$  then return( $f^\emptyset$ );
  else if subsumes( $de, st$ ) then
    return(simplify( $de, st$ ));
  else if there is just one node  $n$  such
  that  $n$  pipelines to  $de$  by a process  $p$ 
  then return(pipeline(CF( $st, n$ ),  $p$ ));
  else {
     $expr := f^\emptyset$ ;
    while (there still exists an edge  $p$ 
    linking a node  $n$  to the node  $de$ ) do
       $expr := merge(expr,$ 
        pipeline(CF( $st, n$ ),  $p$ ));
    return( $expr$ );
  }
```

Note that in the above notation of the function CF the input is a pair of nodes start-destination and the output is a computed flow, as an expression of simplify-pipeline-merge operators. In order to make the computed flow to apply to an input file, the input file must be given to the result of the computation of a call to the function CF.

Following, we will exemplify with several cases:

- for the graph depicted in Figure 5a, subsumes( $B, A$ ) is true, therefore the algorithm CF( $A, B$ ) returns simplify( $B, A$ );
- for the graph in Figure 5c, using short notations for Pipeline, Merge, Simplify, the recursive evaluation proceeds as follows, in which the  $\Rightarrow$  sign should be read as “evaluates to”:

```
CF( $A, B$ )  $\Rightarrow$ 
P(CF( $A, G$ ),  $g$ )  $\Rightarrow$ 
P(M(P(CF( $A, E$ ),  $f$ ), P(CF( $A, F$ ),  $e$ )),  $g$ )  $\Rightarrow$ 
P(M(P(P(CF( $A, C$ ),  $b$ ),  $f$ ), P(M(P(CF( $A,$ 
   $A$ ),  $c$ ), P(CF( $A, D$ ),  $d$ )),  $e$ )),  $g$ )  $\Rightarrow$ 
P(M(P(P(S( $A, C$ ),  $b$ ),  $f$ ), P(M(P( $A, c$ ),
  P((CF( $A, C$ ),  $a$ ),  $d$ )),  $e$ )),  $g$ )  $\Rightarrow$ 
P(M(P(P(S( $A, C$ ),  $b$ ),  $f$ ), P(M(P( $A, c$ ),
  P(P(S( $A, C$ ),  $a$ ),  $d$ )),  $e$ )),  $g$ ).
```

This is the same expression as the one noted above in an abridged form;

- for the graph in Figure 1, if in the call to the function CF the node  $st$  is SCH-ROOT and the node  $de$  is SCH-COREF, the meaning of the compute request CF(SCH-ROOT, SCH-COREF) is that, starting from a raw text one should get annotations

for co-referential anaphora, but including also the marking of tokens, their part-of-speech, and the noun phrases – which usually count as referential expressions. The computed flow is, in the abridged notation for pipelines: SCH-ROOT > tokeniser > POS-tagger > NP-chunker > AR, where tokeniser is the process which tokenises a raw text, the POS-tagger adds part-of-speech markings to a tokenised text, the NP-chunker marks NPs on a POS-tagged text and AR is the module doing anaphora resolution on a file having NPs marked;

- for the example in Figure 6a, if the node  $st$  is SCH-SEG-NP-VP and the node  $de$  is SCH-COREF-IN-SEG, the computation goes as follows:

```
CF(SCH-SEG-NP-VP, SCH-COREF-IN-SEG)  $\Rightarrow$ 
M(S(SCH-SEG-NP-VP,
  SCH-SEG),
  P(S(SCH-SEG-NP-VP, SCH-NP), AR))
```

The meaning of this expression is to simplify in two ways the original file, and to merge one of them with the other to which the AR process has been pipelined.

- for the same graph in Figure 6b, if the node  $st$  is SCH-PAR and the node  $de$  is SCH-SEG-NP-VP, the computation goes as follows:

```
CF(SCH-PAR, SCH-SEG-NP-VP)  $\Rightarrow$ 
M(P(CF(SCH-PAR, SCH-NP),  $\emptyset$ ),
  P(CF(SCH-PAR, SCH-VP),  $\emptyset$ ),
  P(CF(SCH-PAR, SCH-SEG),  $\emptyset$ ))  $\Rightarrow$ 
M(P(CF(SCH-PAR, SCH-POS), NP-chunker),
  P(CF(SCH-PAR, SCH-POS), VP-chunker),
  P(CF(SCH-PAR, SCH-ROOT), segmenter))  $\Rightarrow$ 
M(P(P(CF(SCH-PAR, SCH-TOK),
  POS-tagger),
  NP-chunker),
  P(P(CF(SCH-PAR, SCH-TOK),
  POS-tagger),
  VP-chunker),
  P(S(SCH-PAR, SCH-ROOT), segmenter))  $\Rightarrow$ 
M(P(P(P(S(SCH-ROOT, SCH-PAR),
  tokeniser),
  POS-tagger),
  NP-chunker),
  P(P(P(S(SCH-ROOT,
  SCH-PAR),
  tokeniser),
  POS-tagger),
  VP-chunker),
  P(S(SCH-ROOT, SCH-PAR), segmenter))
```

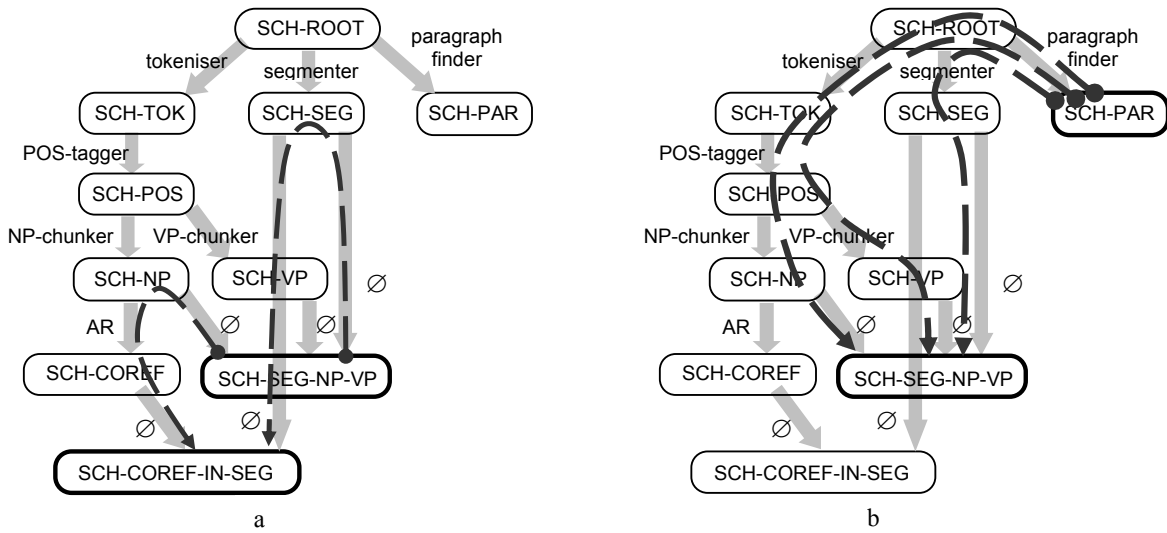


Figure 6: Examples of processing paths (in thin, interrupted arrows) for the hierarchy in Figure 1

The problem with this solution is that parts of computations are repeated. The redundancy in processing happens because different paths are partly superposed. An abridged architecture, which does not show the null processes, is depicted in Figure 7. Starting from a text with paragraph markings, one should first perform a “simplify” operation, to get the raw text, corresponding to the SCH-ROOT node, then the output should be processed in parallel by a text segmenter and a chain formed by a tokeniser and a POS-tagger. At this point the process splits again onto an NP-chunker and a VP-chunker. The outputs of these two processes are finally merged with the output of the segmenter. The current algorithm does not provide

for the simplification of computed architectures.

An implementation of the hierarchy model has been developed for a portal intended to act as a repository for Romanian language resources and NLP tools. The present implementation performs automatic classification, simplification and merging. Presently, a number of modules locally developed have been linked with the edges of an existent graph of schemas. The coupling with the GATE style of processing is under study. The final machinery will develop into a portal displaying on-line processing, to which a user can send its own files, he indicates the desired final annotation and receives the output file.

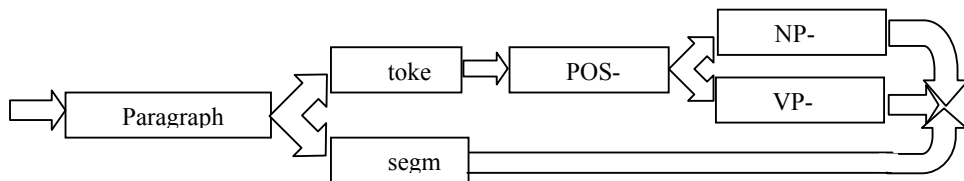


Figure 7: Computed path between nodes in the annotation schemas hierarchy

## 6 DISCUSSION

The proposed approach has an apparent drawback which is the large diversity of annotation schemas which could appear in different applications. This amounts to a huge graph of schemas if the ambition is for exhaustiveness. However, the need for standardisation is evident nowadays and has been very clearly stated in many contexts, for instance (Ide et al., 2003). The more and more common use of international standards for the annotation of documents, such as TEI and CES/XCES, will make widely applied standardisation a reality. Moreover, Semantic Web, with its tremendous need for interconnection and integration of resources and applications on communicating environments, boosts vividly the appeal for standardisation. It is therefore foreseeable that more and more designers will adopt, in order to allow easy interfacing of their applications, recognised standards. The large acceptance of XML as an annotation language and the development of a variety of sublanguages based on XML, and the adoption of encoding standards as TEI and CES in text processing makes this challenge a reality.

But there is another reason for the drawback to be only apparent. We have seen already that, by classification, any schema could be placed in the hierarchy. Of course, classification could increase in an uncontrolled way the number of nodes of the hierarchy. The proliferation could be caused not so much by the semantic diversity of the annotations as by the differences in name spaces (names of tags, attributes and values). Suppose one wants to connect a new file to the hierarchy in order to exploit its processing power. What s/he has to do is to first classify the file. If the system reports the result as being a new node in the hierarchy than its position gives also indications of its similarity/dissimilarity with the neighbouring schemas. A visual inspection of the names used can reveal, for instance, that a simple translation operation can make the new node identical to an existent one. This means that the new schema is not new for the hierarchy, although the set of conventions used, which make it different from those of the hierarchy, are imposed by the restrictions of the user's application. The solution to this incompatibility is not always a despotic attitude vis-à-vis of the adoption of new notation conventions, but rather a flexible way of looking at the diversity. Technically, this can be achieved by temporarily creating links between the new schema classified by the hierarchy, as a new node, and its corresponding standard in the hierarchy. Processing along such a link is different than the usual behaviour associated to the edges of the graph. It

describes a translation process, in which the annotation is not enriched, but names of tags, attributes and values are changed. Ideally, the processing abilities of the hierarchy should include also the capability to automatically discover the translation procedure. This task is not trivial since it would require that the hierarchy "understands" the intentions hidden behind the annotation, displaying an intelligent behaviour which is not easy to implement. This subject could make an interesting trend of further research. Now, once the entry and exit points in the hierarchy have been determined and translation links have been devised, all the rest is done by the hierarchy itself augmented with the processing power in the manner described above. This way, the processing needed to arrive from the input to the output is computed by the hierarchy as sequences of serial and parallel processing steps, each of them supported in the hierarchy by means of specialised modules. Then the process itself is launched on the input file. It includes an initial translation phase, followed by a sequence of simplifications, pipelines and/or merges, as described by the computed path, and followed by a final translation, which is expected to produce the output file.

The linguistic annotations can make use of ontologies as formalised schemas specifying what can actually be annotated, and hence the annotation schemas can be considered special cases of semantic annotations with regard to an ontology, such as the one pursued within the context of the Semantic Web. The formalization of the annotation schema as an ontology, and the use of standard formalisms such as RDF or OWL to encode it, allows for the reuse of the schema across different annotation tools. The linguistic annotation model based on an ontology offers flexibility in the sense that it is general enough to be applied in a broad variety of annotation tasks.

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